

Distributed QoS Control

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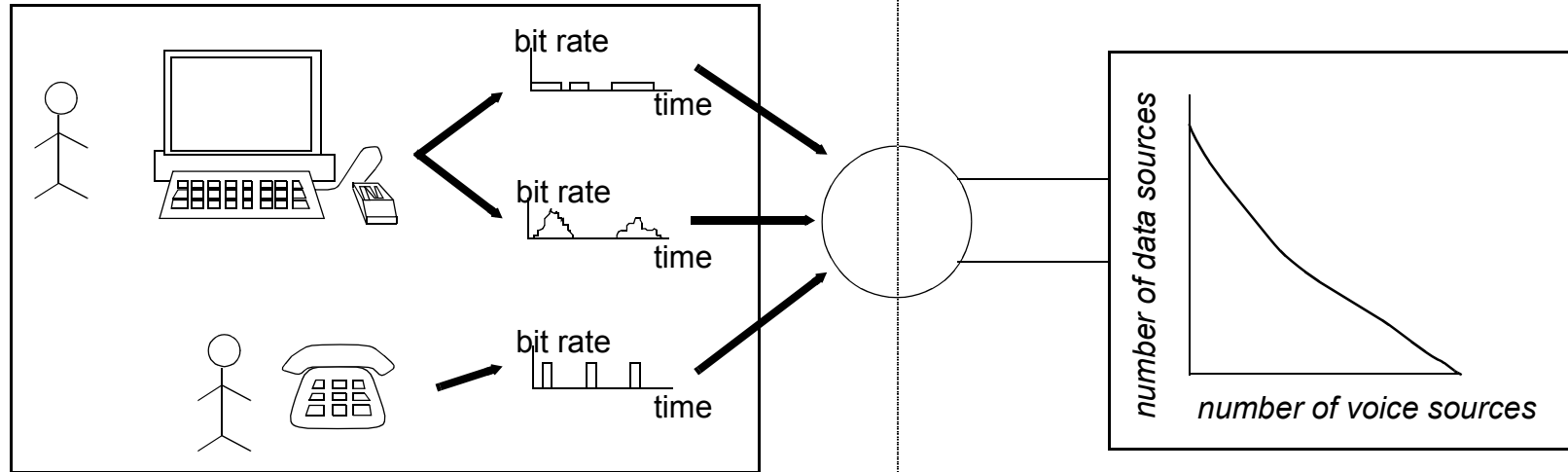
New Ideas

- *Build connections between characterizations of traffic flows, QoS requests, and network resource availability*
- *Negotiations between network and user agents regarding QoS*
- *Minimize information exchange using price & demand*

Impact

- *Reservation of network resources for each traffic flow or aggregates of flows in integrated service architectures*
- *Priority marking of packets in differentiated service architectures*
- *Automate resource management and QoS management tasks*

Resource Allocation: User - Network Interface



User

Network

Traffic Characterization
Quality of Service (QoS)

Scheduling / CAC / Policing
Network Capacity Characterization

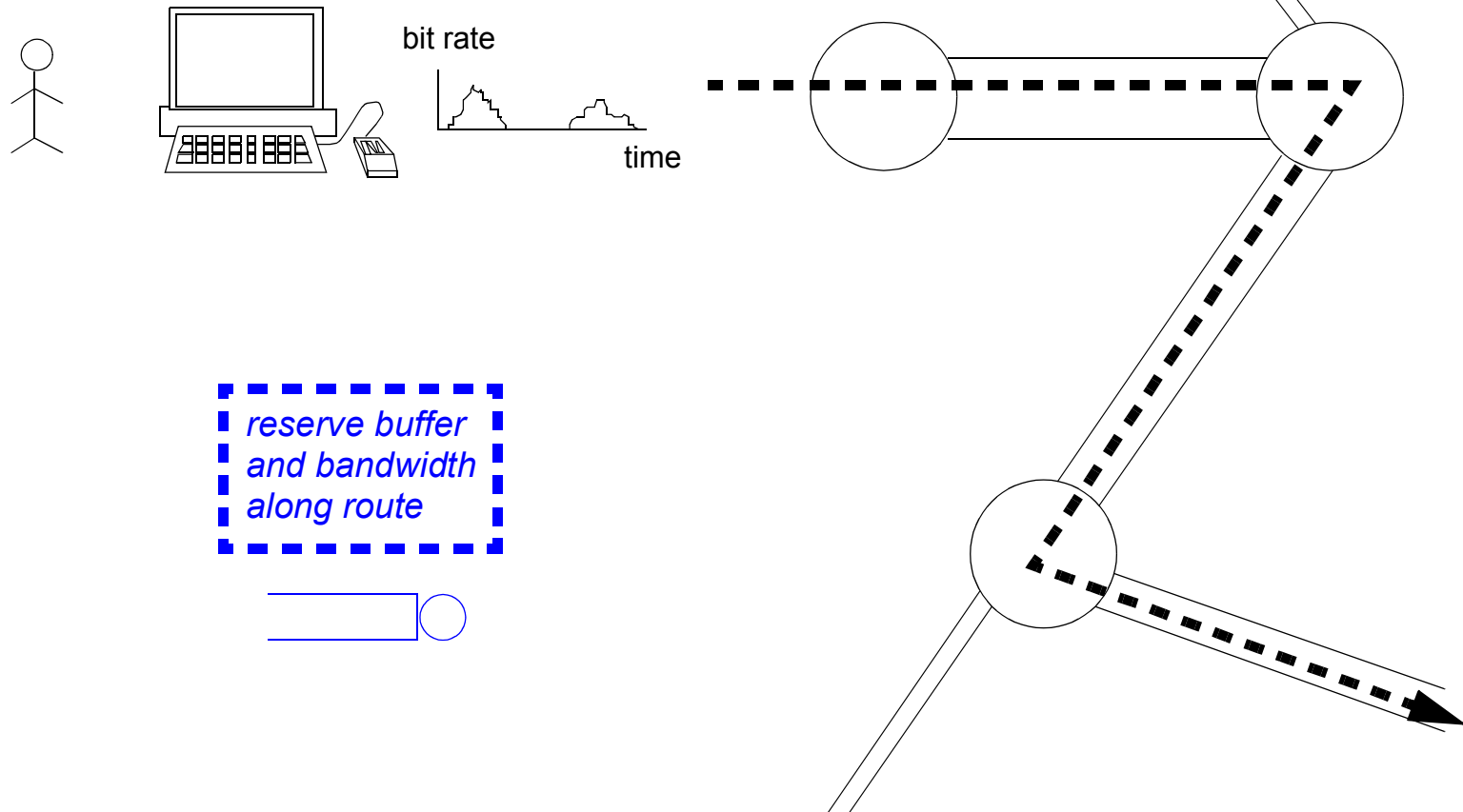


Contract

Pricing

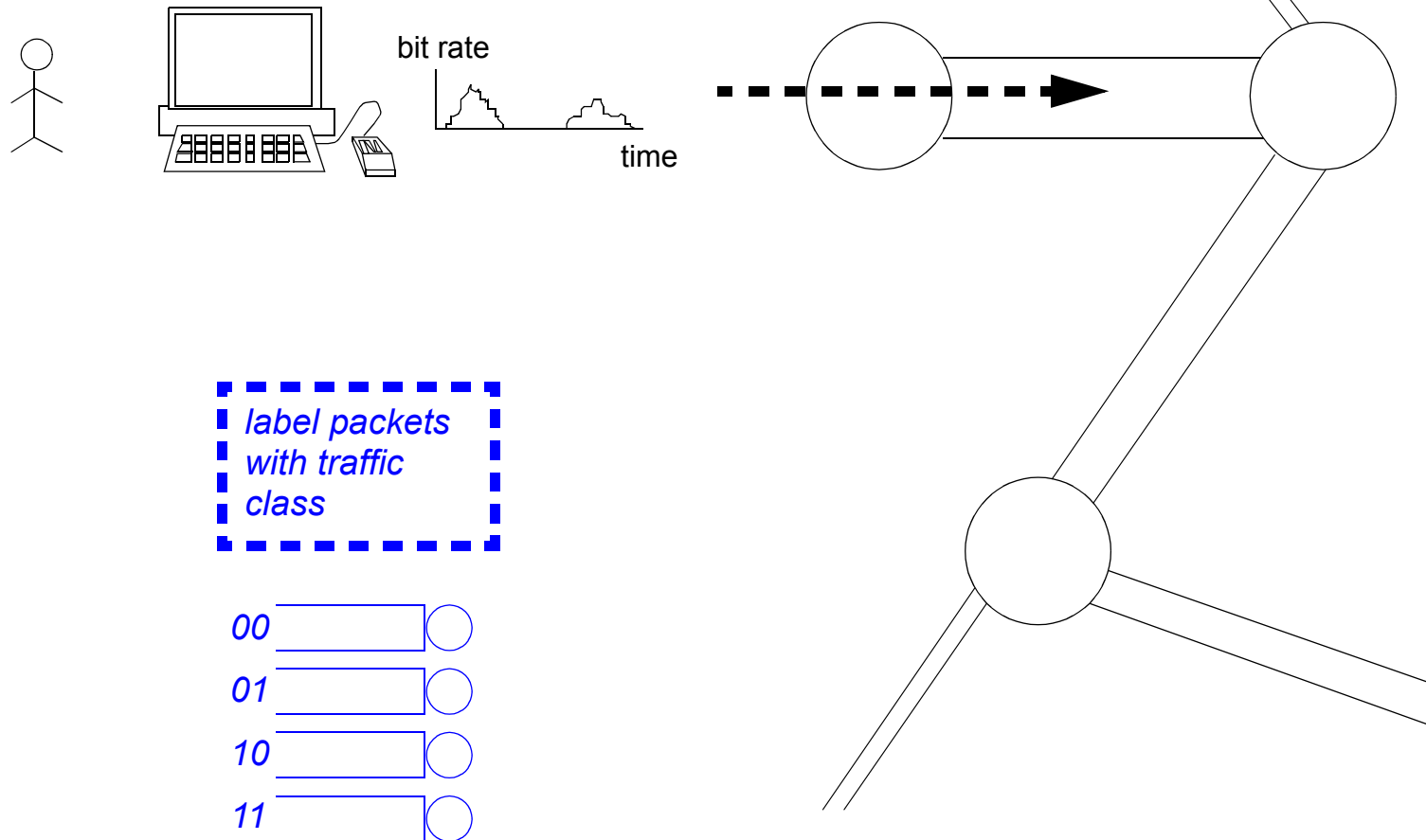
Integrated Services

Internet - "RSVP"
ATM - virtual circuits



Differentiated Services

Internet - "diffServ"



Integrated Services

reserve buffer
and bandwidth
along route

How much buffer and bandwidth
should I reserve ??

Depends on desired QoS and congestion !!

Differentiated Services

label packets
with traffic
class

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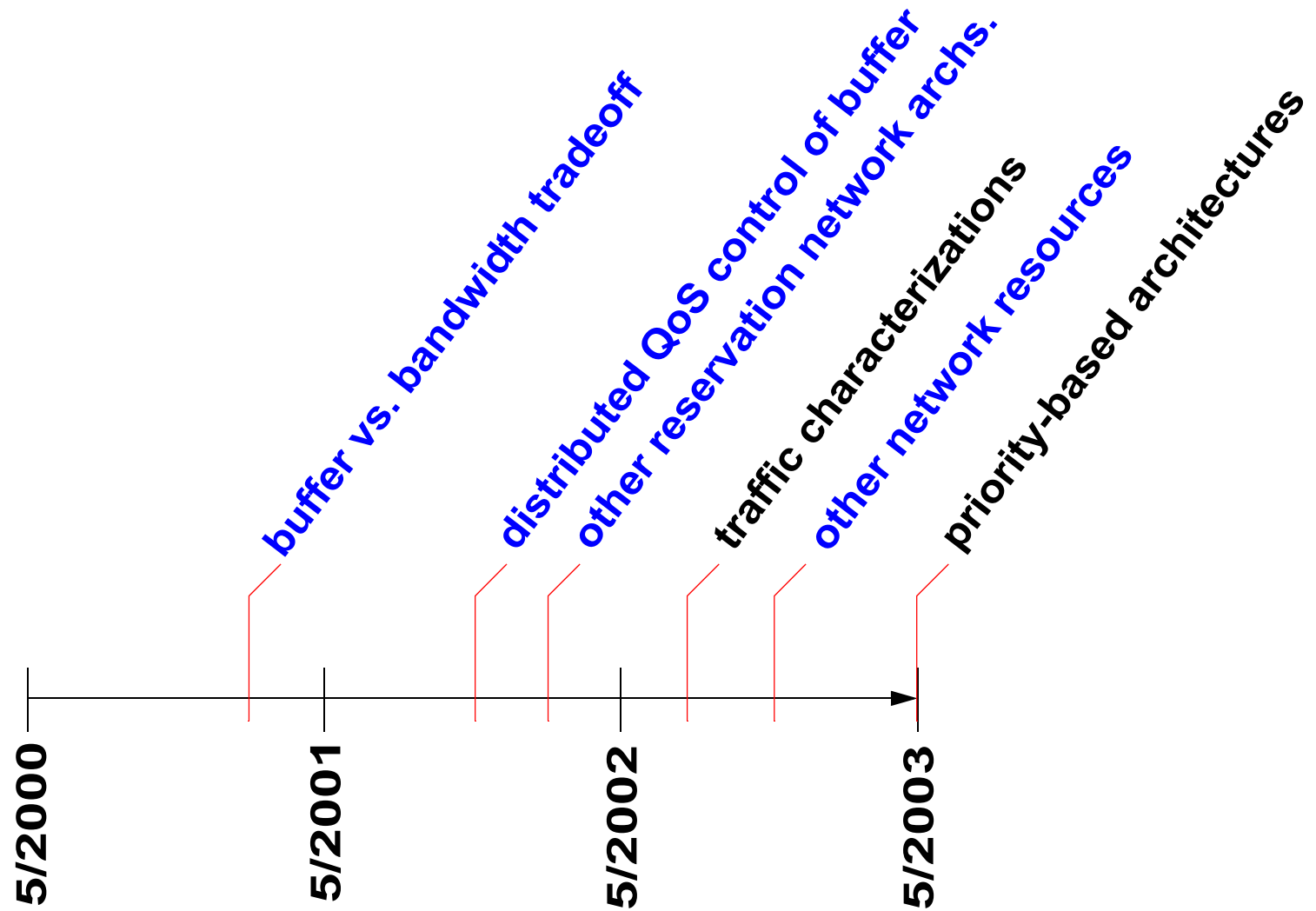
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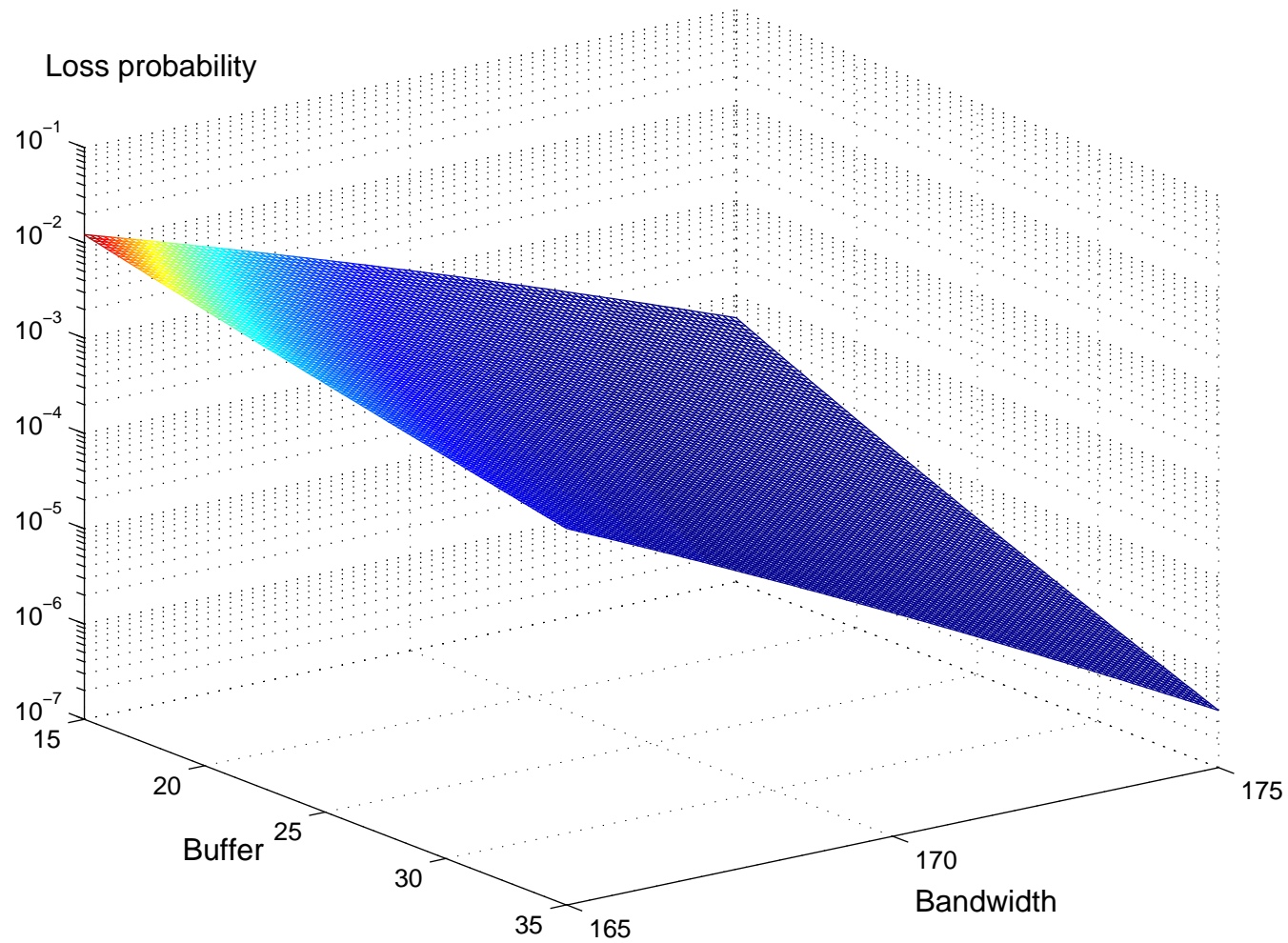
Which traffic class(es) should I use ??

Depends on desired QoS and congestion !!

Timeline

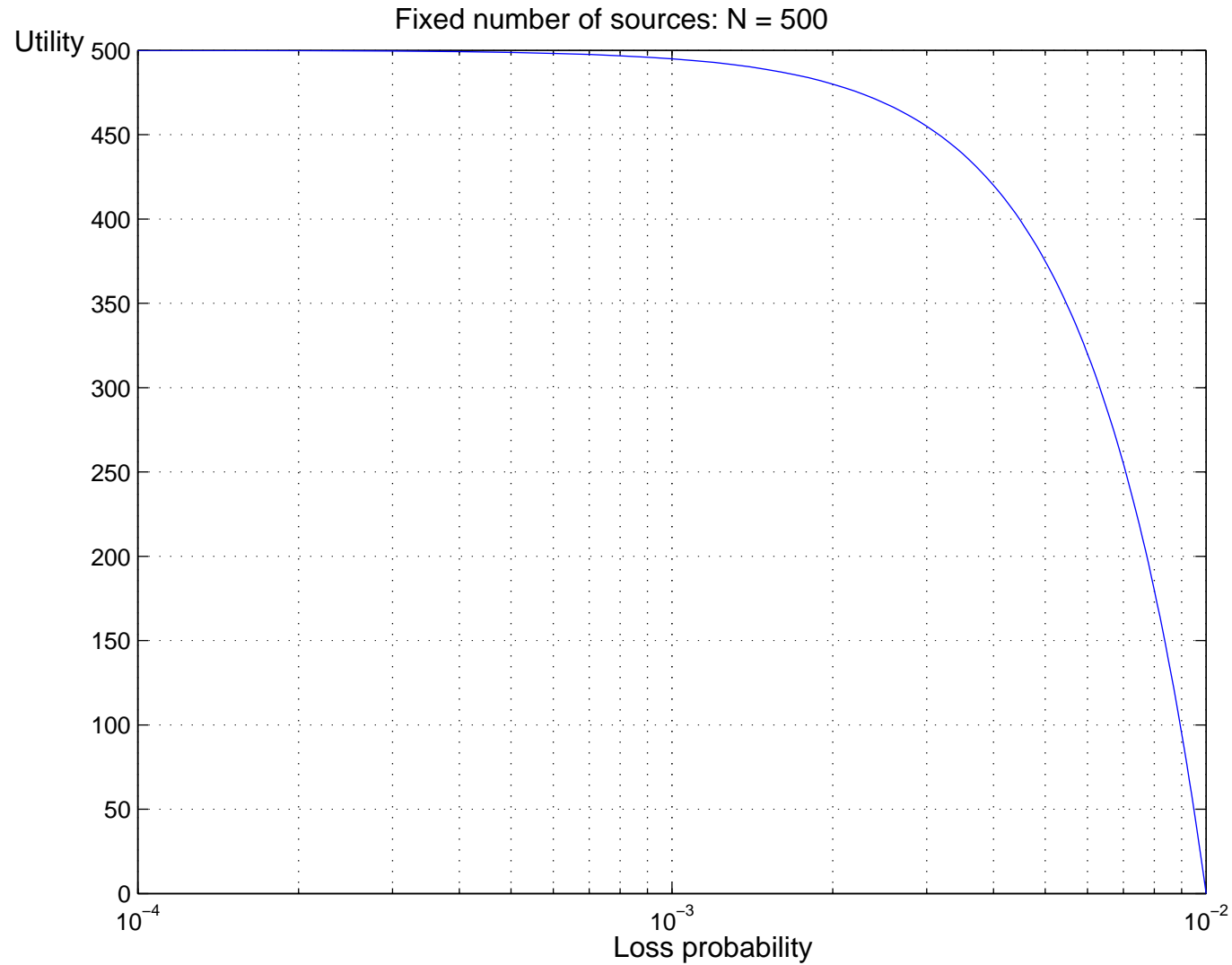


Loss surface for a class of on/off sources



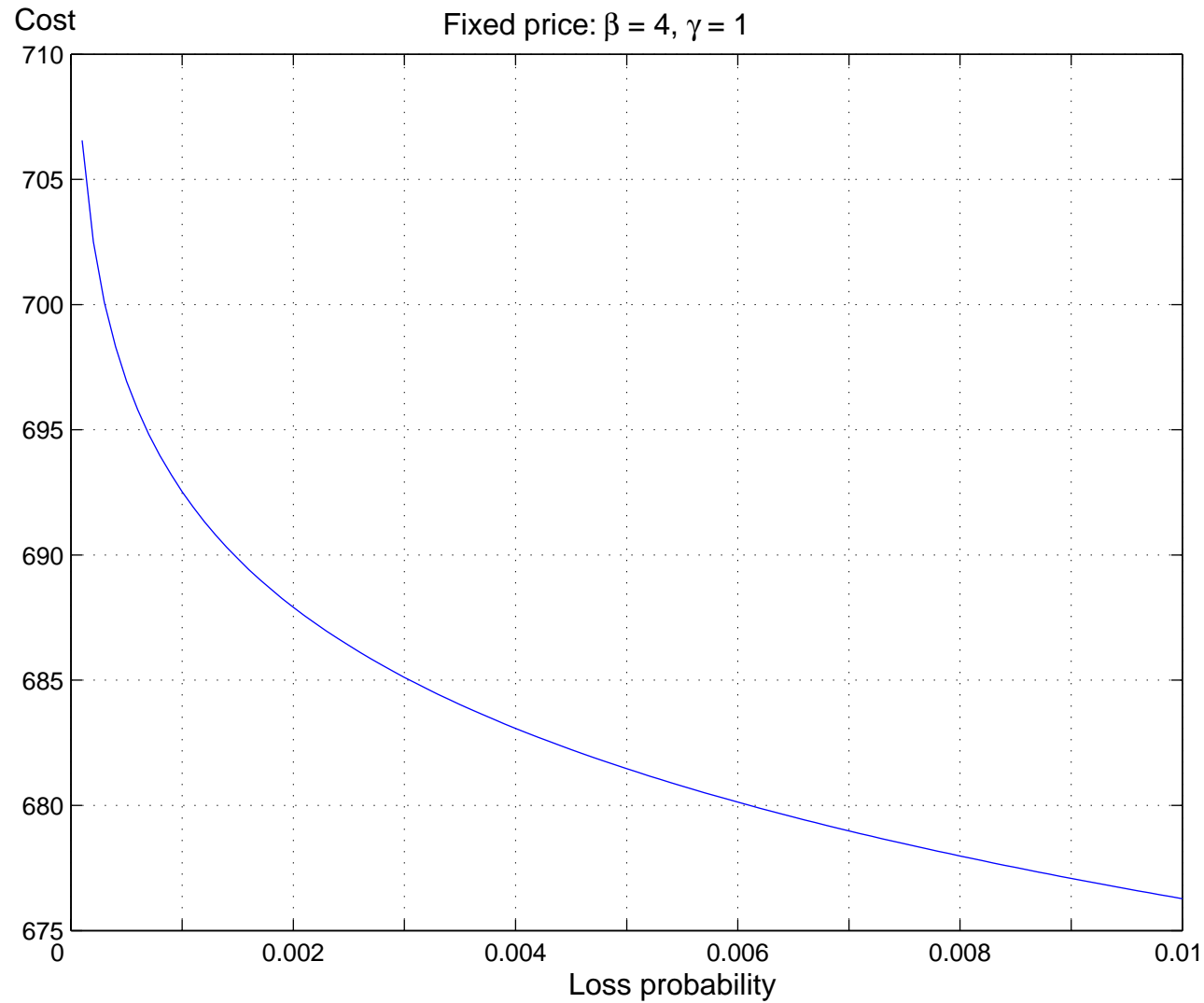
500 on/off sources with $P(\text{on})=0.3036$

Utility function for a class of on/off sources



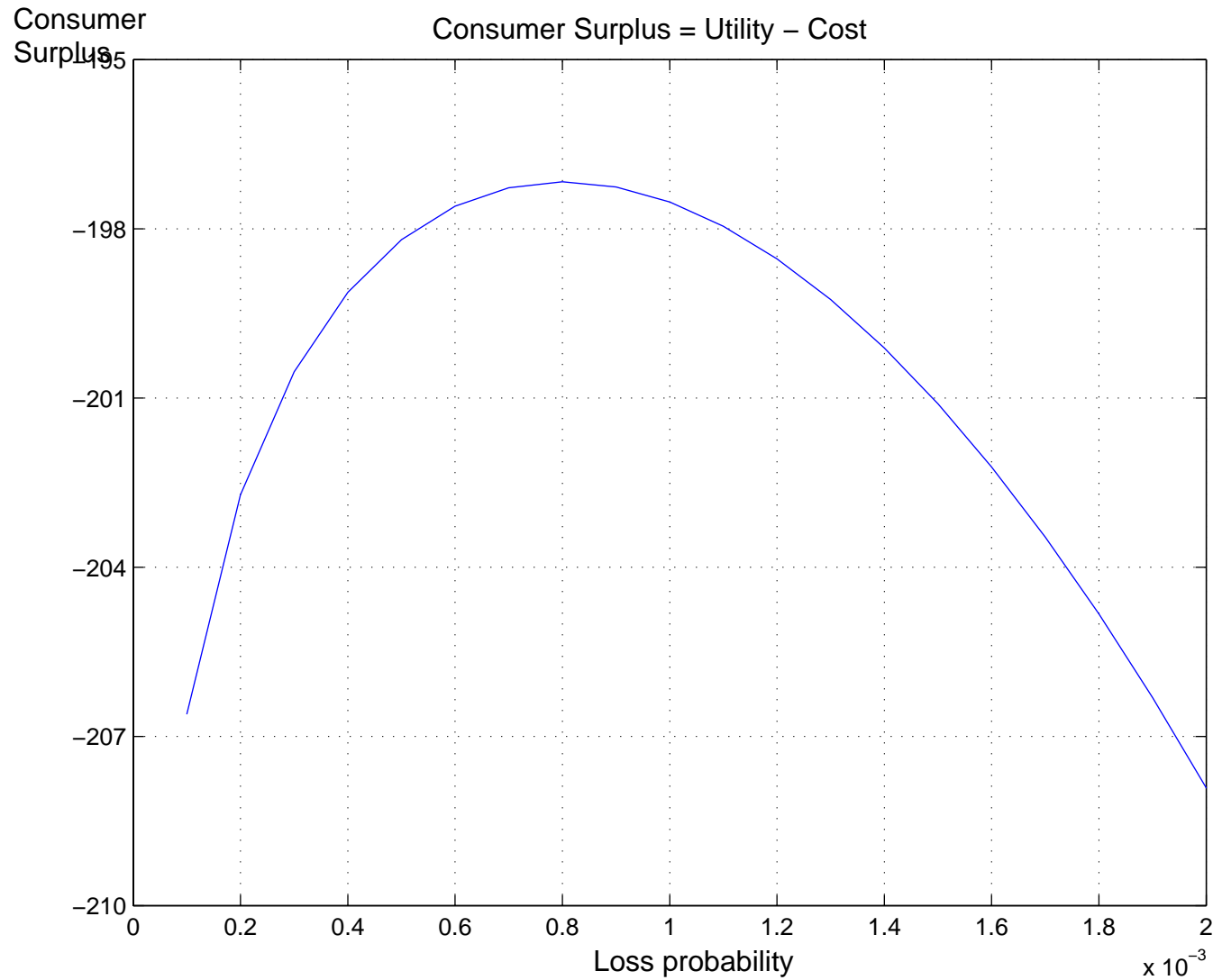
500 on/off sources with $P(\text{on})=0.3036$

Cost for a class of on/off sources under fixed prices



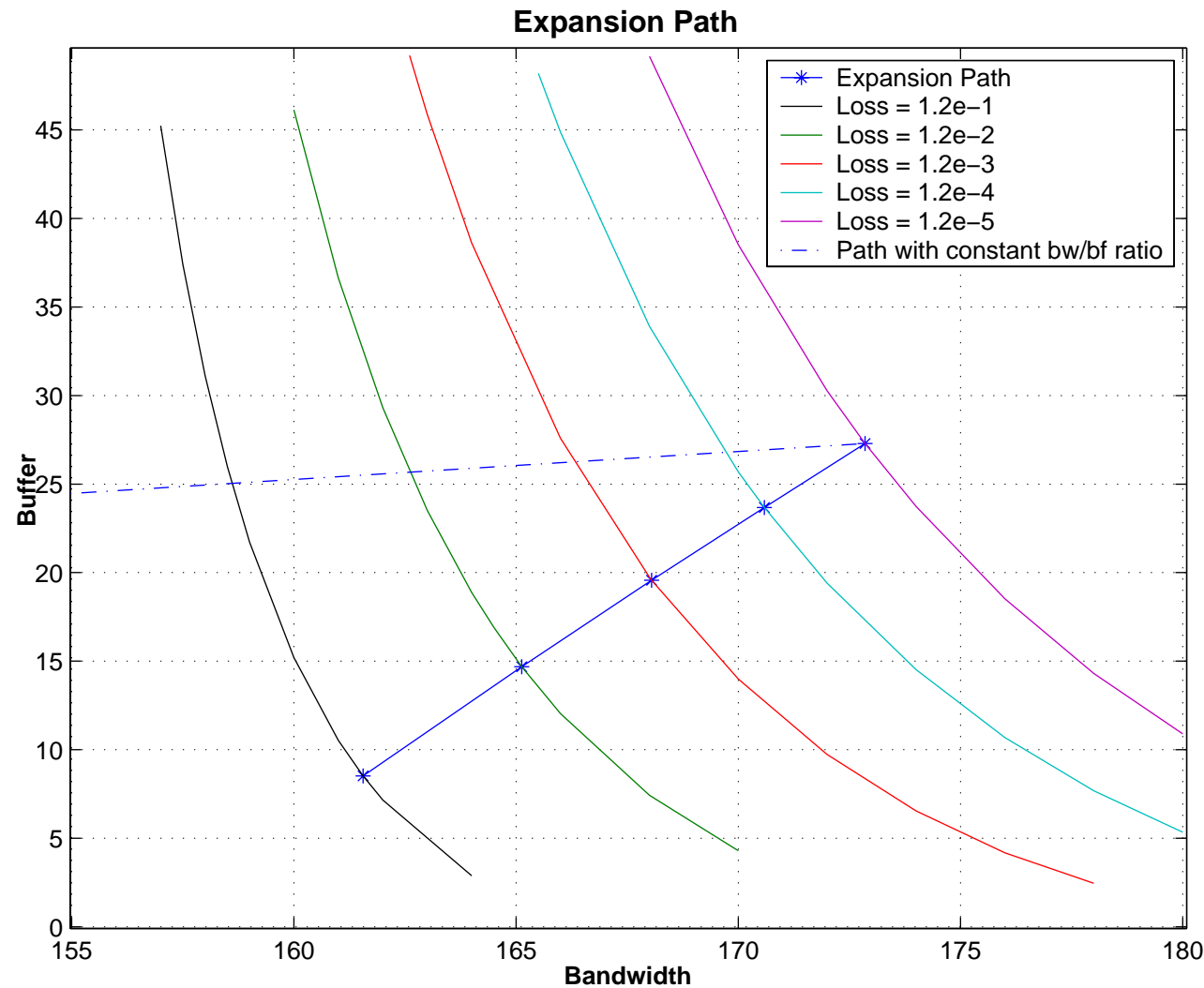
500 on/off sources with $P(\text{on})=0.3036$

Surplus for a class of on/off sources under fixed prices



500 on/off sources with $P(\text{on})=0.3036$

Optimal resource allocation under a fixed price ratio

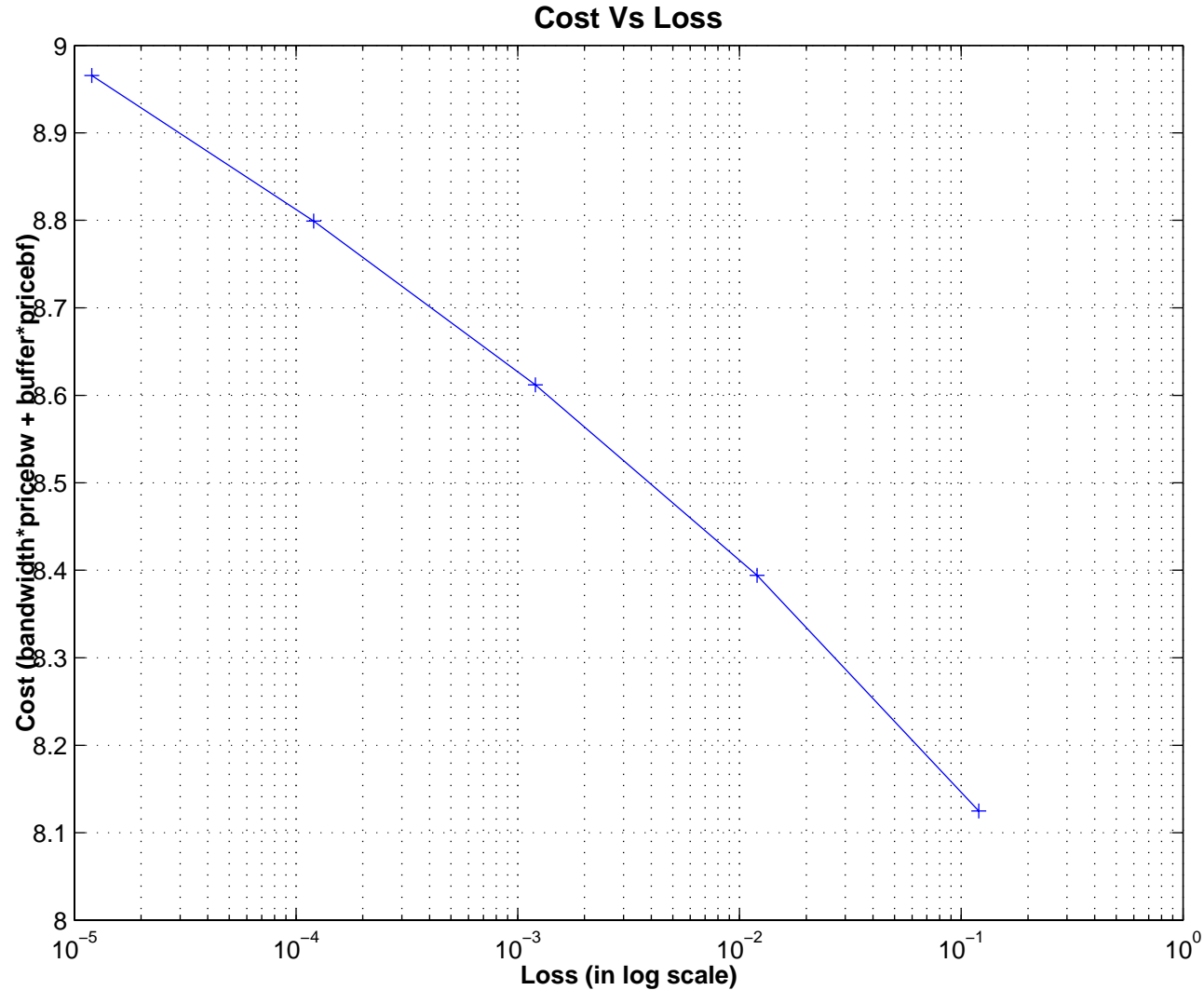


500 on/off sources with $P(\text{on})=0.3036$

P_{bw} & P_{bf} varied with P_{bw}/P_{bf} held constant

Theorem: $dBF/dBW > 0$ iff $g_{wf} < \min [(g_w/g_f)g_{ff}, (g_f/g_w)g_{ww}]$

Optimal class loss under a fixed price ratio

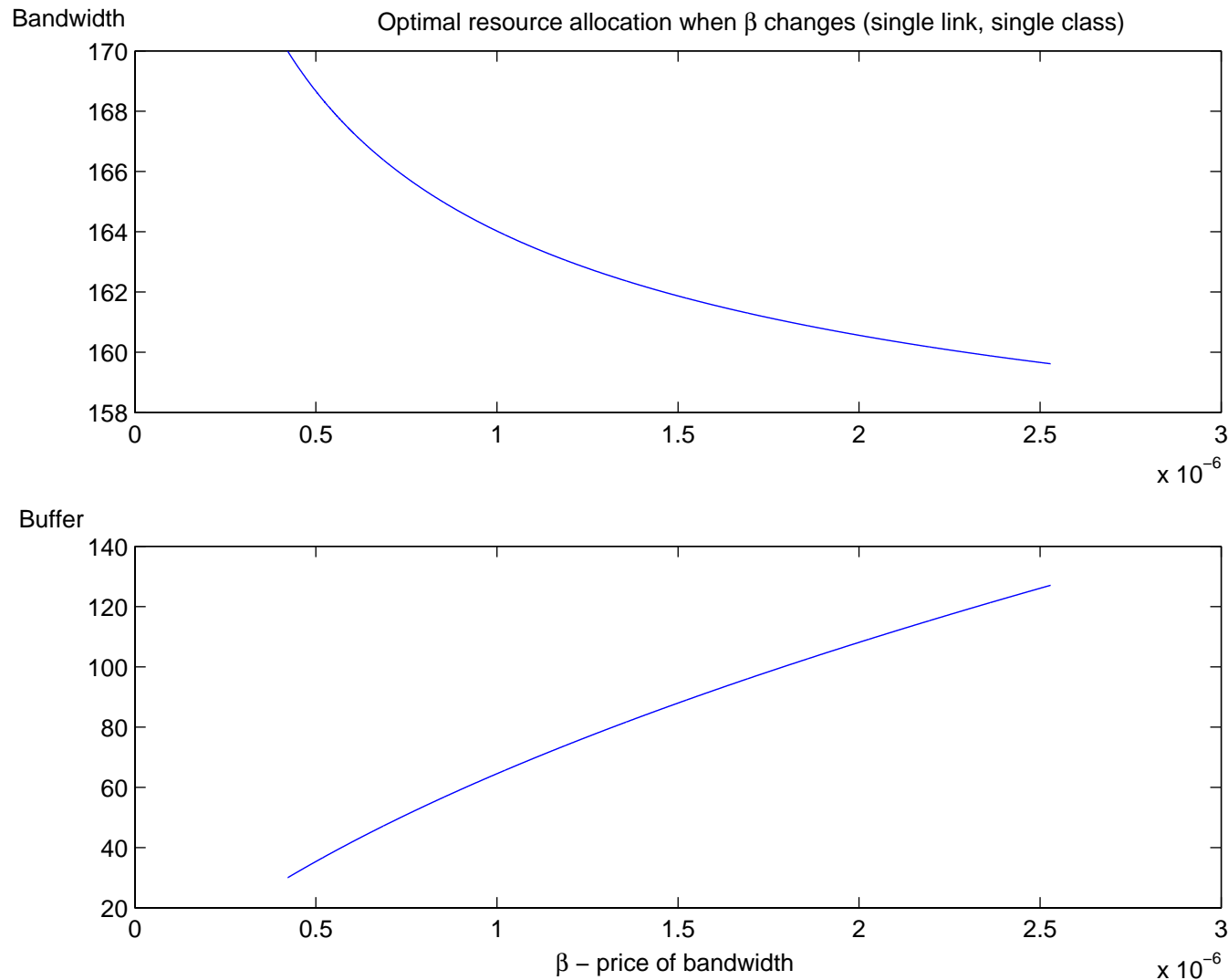


500 on/off sources with $P(\text{on})=0.3036$

P_{bw} & P_{bf} varied with P_{bw}/P_{bf} held constant

Theorem: Minimum cost is a decreasing convex function of loss probability

Optimal resource allocation under increasing prices on bandwidth

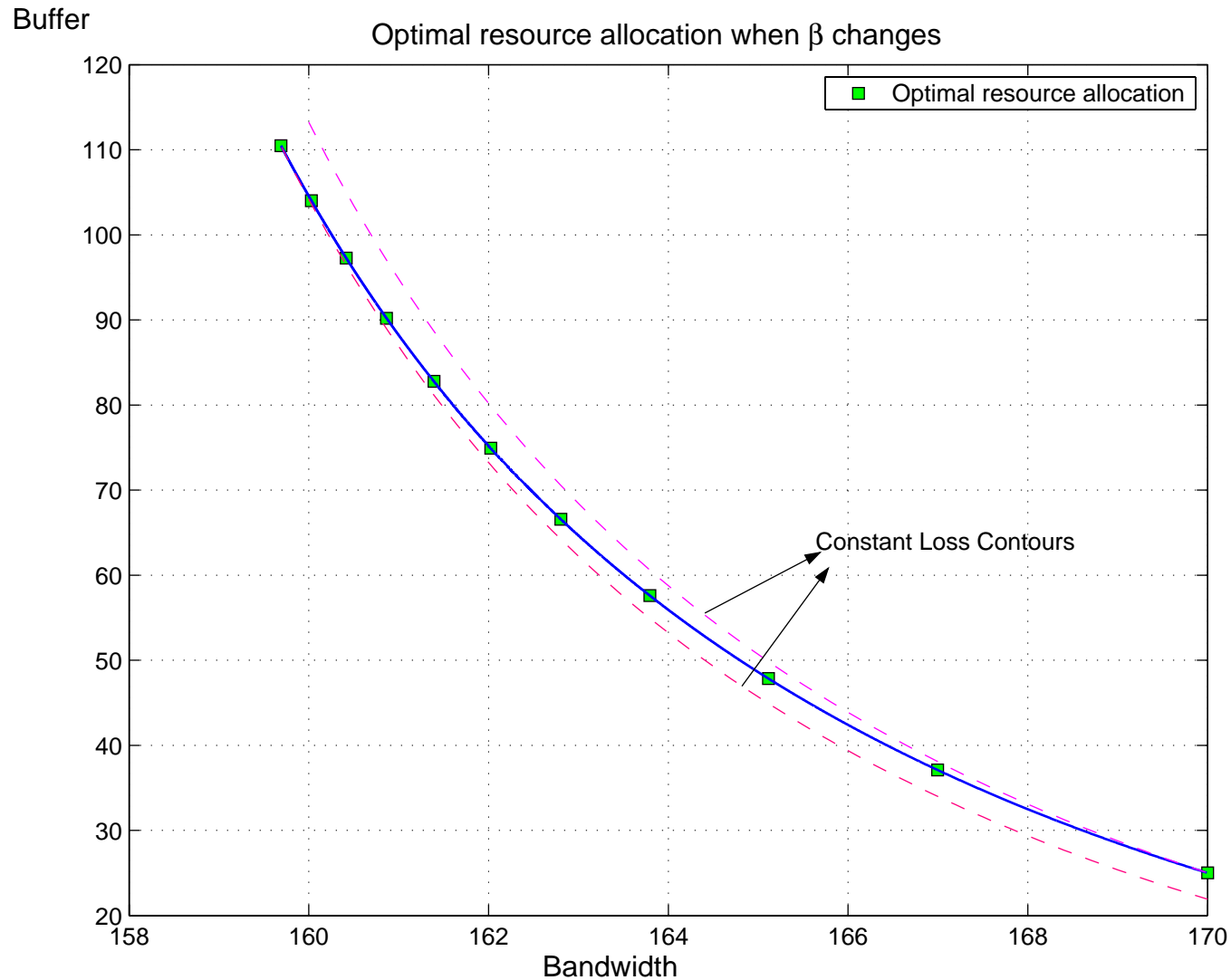


500 on/off sources with $P(\text{on})=0.3036$

P_{bw} varied with P_{bf} held constant

Theorem: $dBW/dP_{bw} < 0$, $dBW/dP_{bw} > 0$ iff certain conditions on loss function, utility function

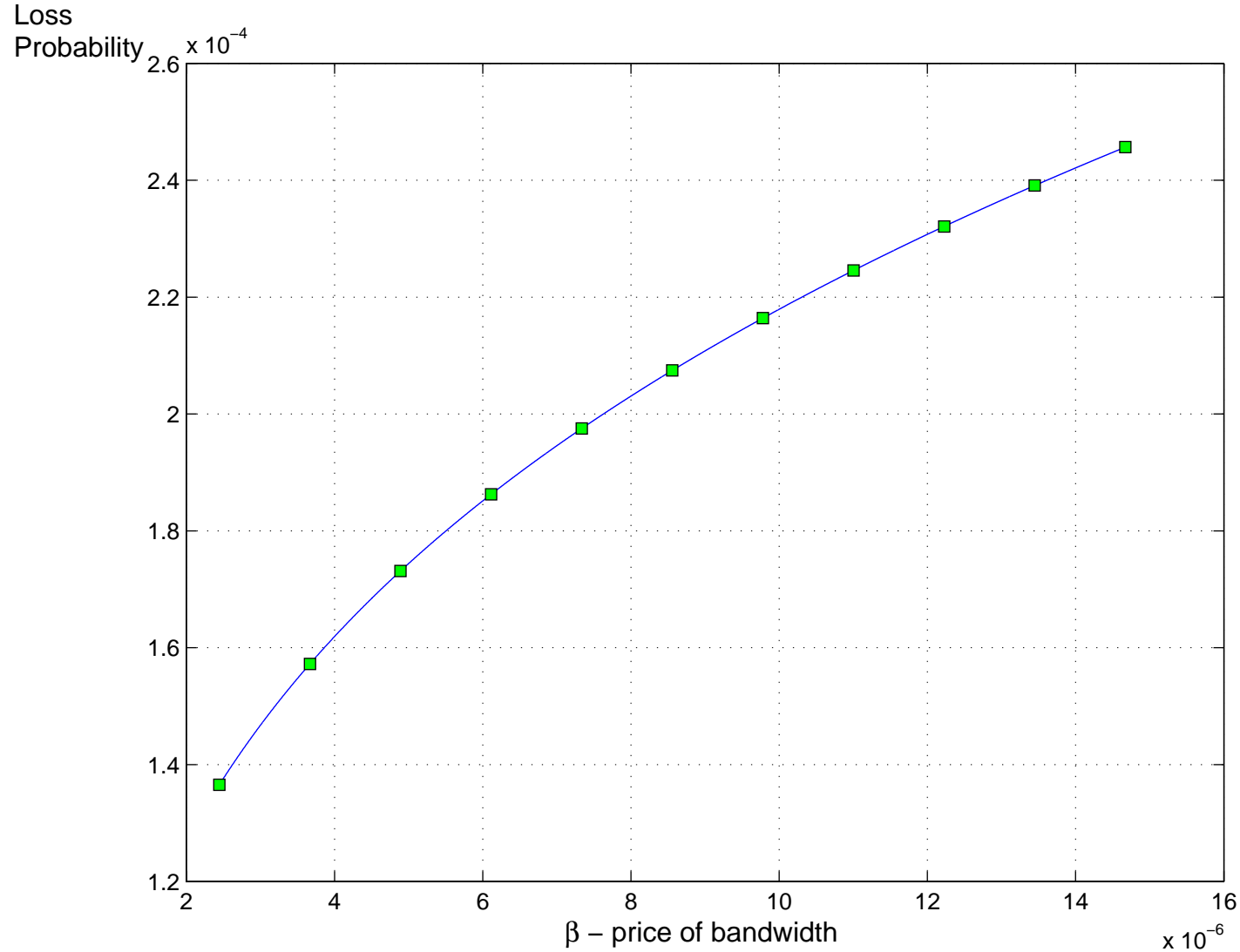
Optimal resource allocation under increasing prices on bandwidth



500 on/off sources with $P(\text{on})=0.3036$

P_{bw} varied with P_{bf} held constant

Optimal loss under increasing prices on bandwidth

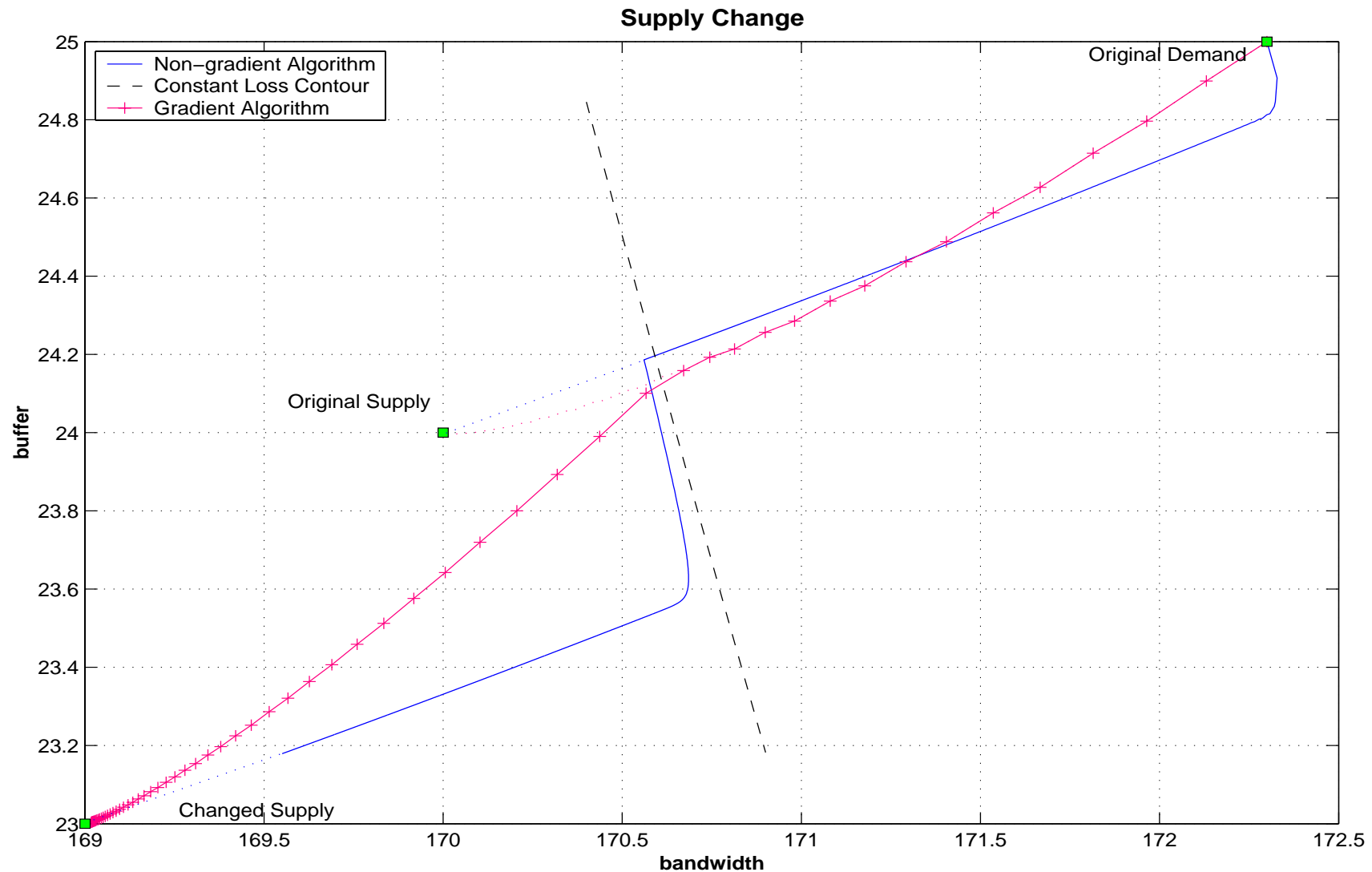


500 on/off sources with $P(\text{on})=0.3036$

P_{bw} varied with P_{bf} held constant

Theorem: $dL/dP_{bw} > 0$ if $g_{wf} < (g_w/g_f)g_{ff}$

Convergence using pricing

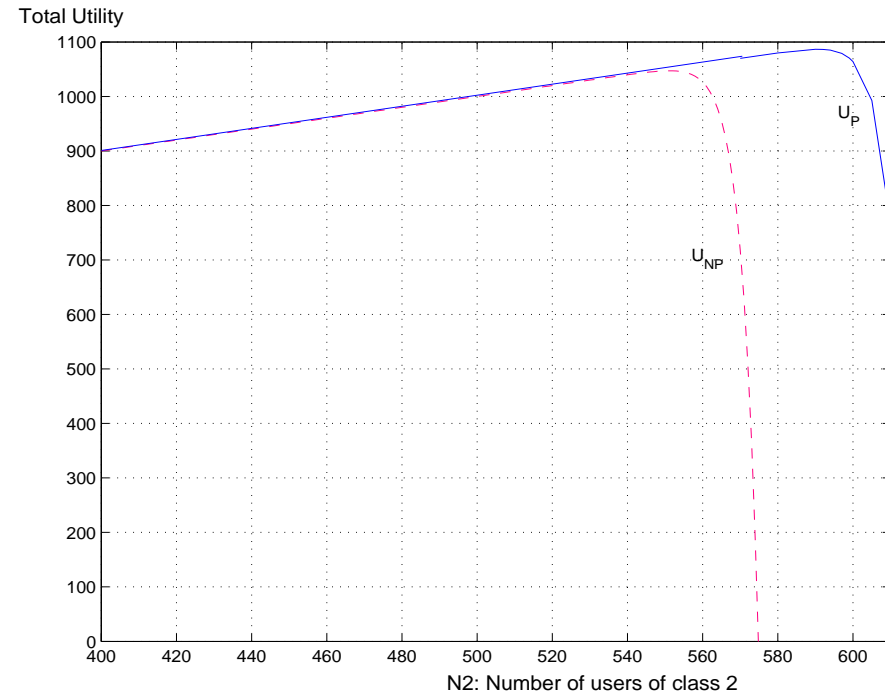
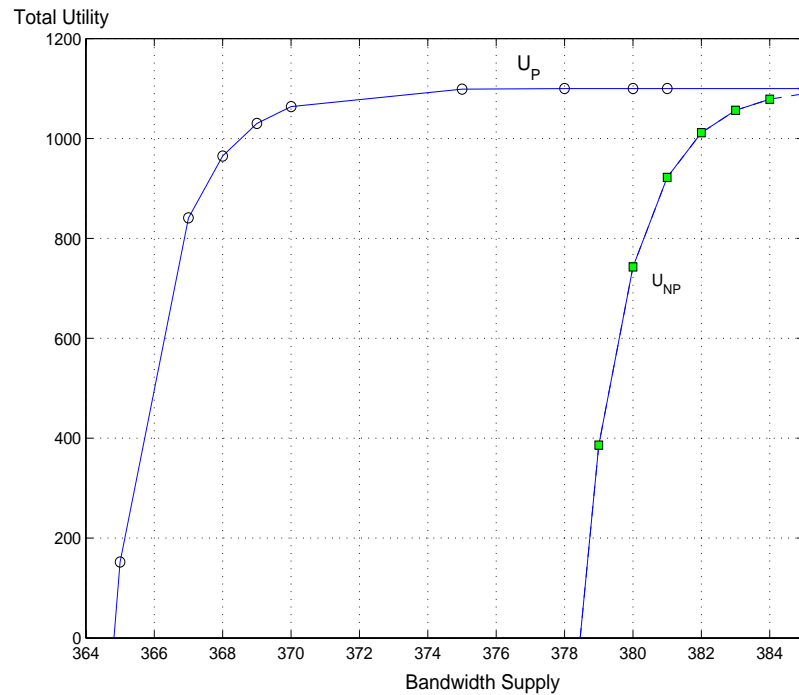


500 on/off sources with $P(\text{on})=0.3036$

Bandwidth and buffer supplies varied

Convergence of demand to supply, using proportional step & gradient price updates

Utility gain with 2 classes: pricing versus non-pricing



2 classes with 500 on/off sources in each class

class 1: $P(\text{on})=0.3036$, max loss = 6.8%

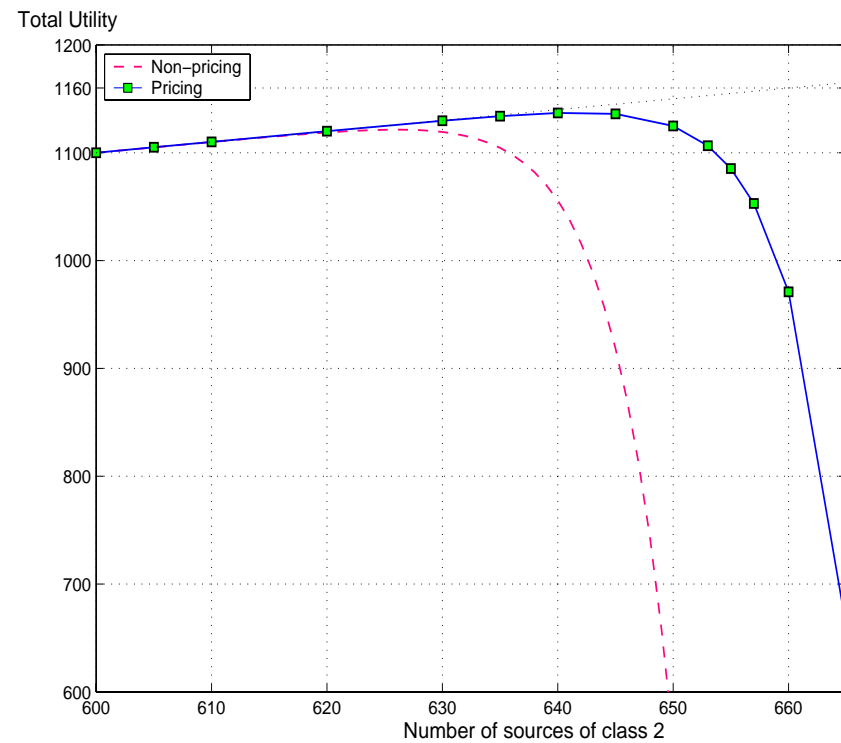
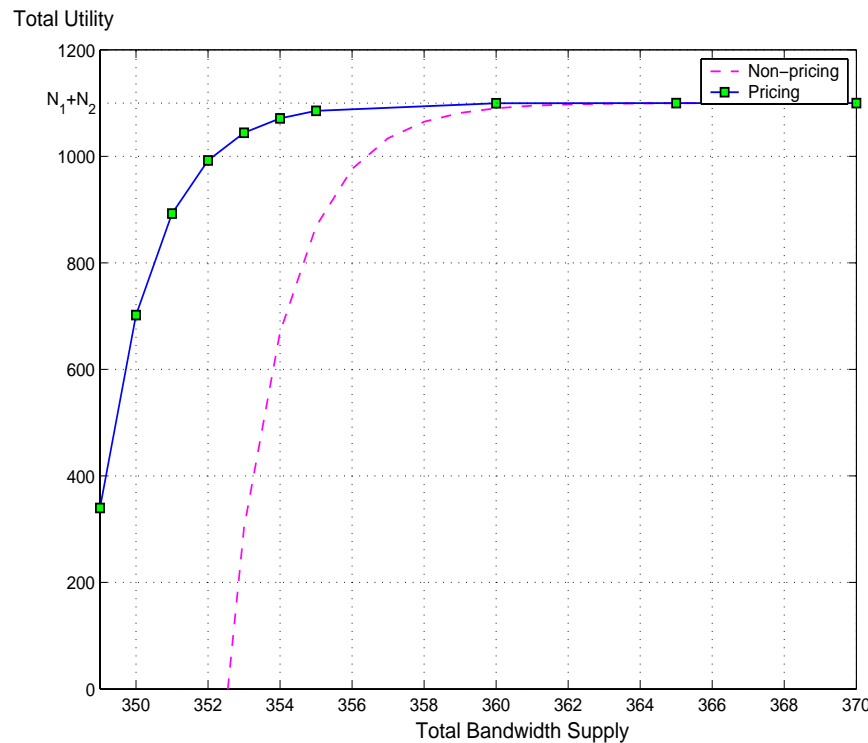
class 2: $P(\text{on})=0.3300$, max loss = 2.2% (higher mean rate, more demanding)

BW supply varied

number of sources in class 2 varied

Non-pricing = allocate BW & BF proportional to number of sources in each class

Utility gain with 2 classes: pricing versus non-pricing



2 classes with 500 on/off sources in each class

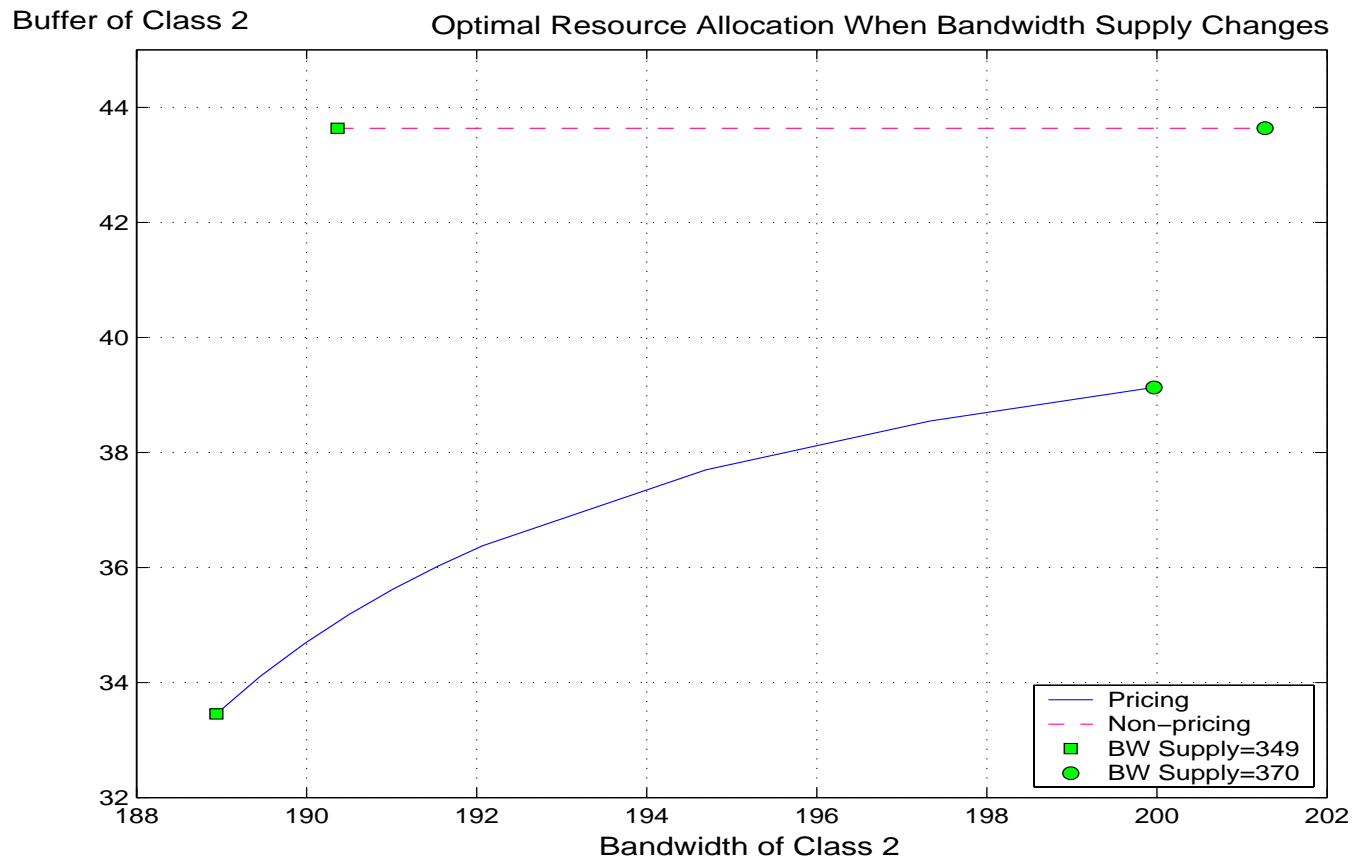
class 1: $P(\text{on})=0.3036$, max loss = 1% (more demanding)

class 2: $P(\text{on})=0.3036$, max loss = 10%

BW supply varied

number of sources in class 2 varied

Non-pricing = allocate BW & BF proportional to total mean rate of each class



2 classes with 500 on/off sources in each class

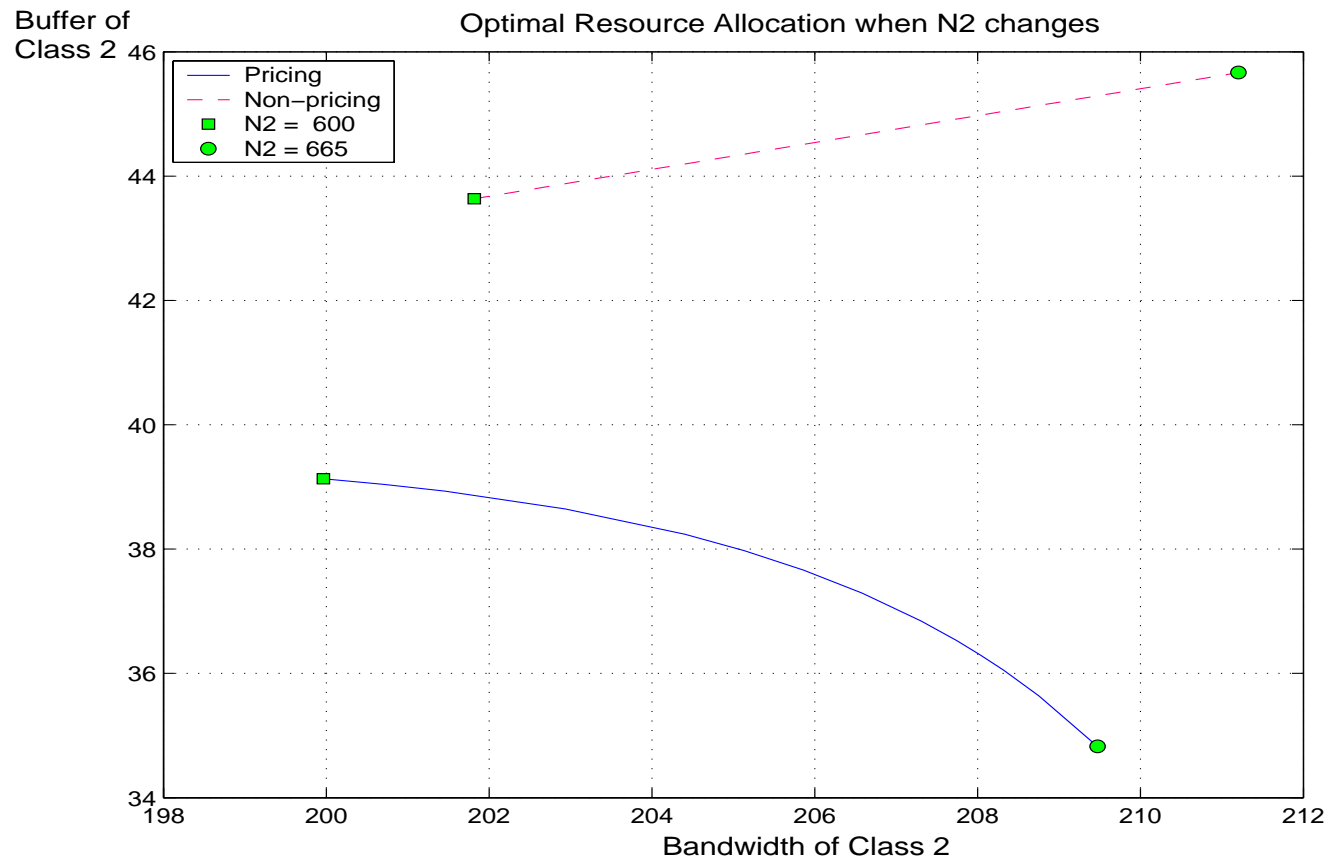
class 1: $P(\text{on})=0.3036$, max loss = 1% (more demanding)

class 2: $P(\text{on})=0.3036$, max loss = 10%

BW supply varied

Non-pricing = allocate BW & BF proportional to total mean rate of each class

Resource allocation with 2 classes: pricing versus non-pricing



2 classes with 500 on/off sources in class 1 & varying number in class 2

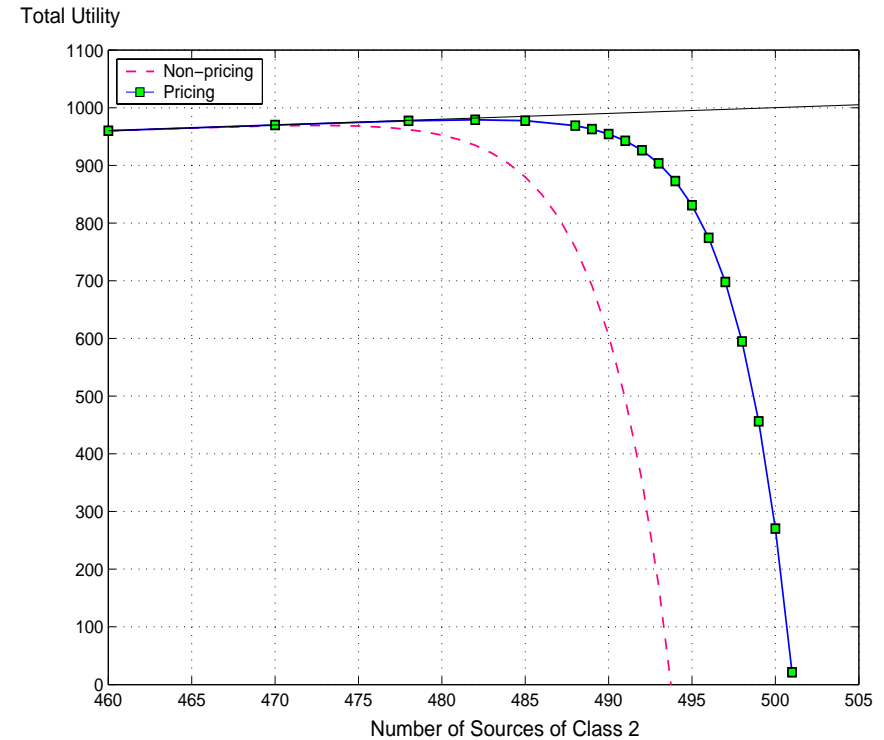
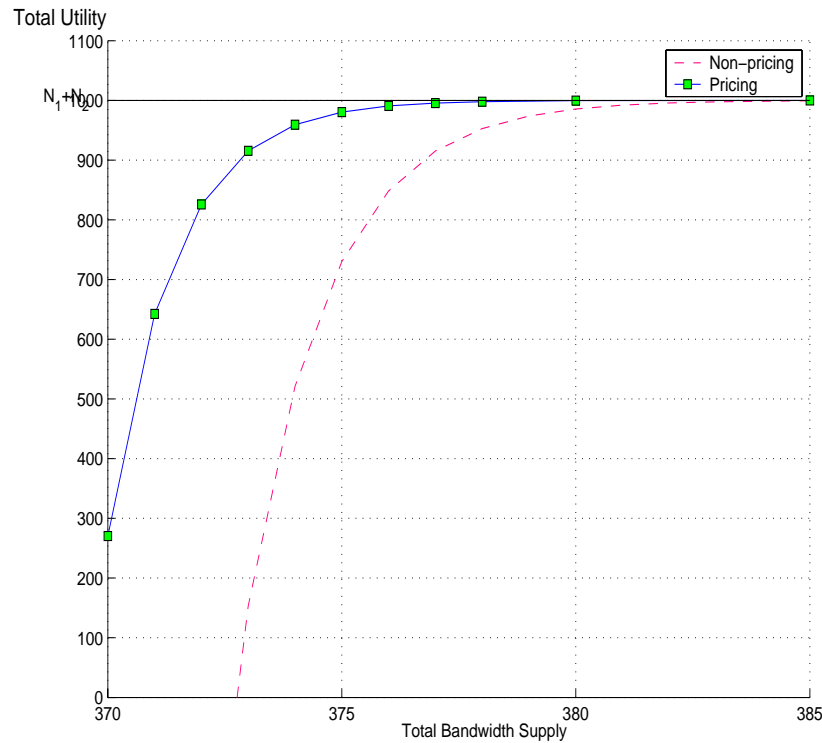
class 1: $P(\text{on})=0.3036$, max loss = 1% (more demanding)

class 2: $P(\text{on})=0.3036$, max loss = 10%

number of sources in class 2 varied

Non-pricing = allocate BW & BF proportional to total mean rate of each class

Utility gain with 2 classes: pricing versus non-pricing



2 classes with 500 on/off sources in each class

class 1: $P(\text{on})=0.3036$, max loss = 1%

class 2: $P(\text{on})=0.4000$, max loss = 1% (higher mean rate)

BW supply varied

number of sources in class 2 varied

Non-pricing = allocate BW & BF proportional to total mean rate of each class